## Limits

| Instructional Focus | 4 - Mastery | 3 - Proficient | 2 - Basic | 1 - Below Basic | $\mathrm{O} \text { - No }$ <br> Evidence |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Estimate <br> limits of functions graphically and numerically <br> (LIM-1.A, <br> LIM-1.C, <br> LIM-2.D) |  | Find a limit graphically and numerically using proper notation with all of the following: <br> - Limits <br> - One sided Limits <br> - Limits at infinity <br> - Infinite limits <br> - Limits that don't exist and interpret the behavior of functions <br> Follows math practices of algebraic computation, precision and reasoning* | Find a limit graphically and numerically using proper notation with four of the following: <br> - Limits <br> - One sided Limits <br> - Limits at infinity <br> - Infinite limits <br> - Limits that don't exist and interpret the behavior of functions | Find a limit graphically and numerically using proper notation with three of the following: <br> - Limits <br> - One sided Limits <br> - Limits at infinity <br> - Infinite limits <br> - Limits that don't exist and interpret the behavior of functions |  |
| Determine limits of functions algebraically (LIM-1.A, LIM1.B, LIM-1.D, LIM-1.E) | Can extend thinking beyond the standard, including tasks that may involve one of the following: <br> - Designing <br> - Connecting <br> - Synthesizing <br> - Applying <br> - Justifying | Determine limits of functions using correct notation with all of the following <br> - Squeeze Theorem <br> - Algebraic manipulation <br> - Algebraic rules (sum, difference, product, quotients) <br> - Composite Functions <br> - Trig Functions and interpret the behavior of Functions <br> Follows math practices of algebraic computation, precision and reasoning* | Determine limits of functions using correct notation with three of the following <br> - Algebraic manipulation <br> - Algebraic rules (sum, difference, product, quotients) <br> - Composite Functions <br> - Trig Functions <br> and interpret the behavior of Functions | Determine limits of functions using correct notation with two of the following <br> - Algebraic manipulation <br> - Algebraic rules (sum, difference, product, quotients) <br> - Composite Functions <br> - Trig Functions <br> and interpret the behavior of Functions | Little evidence of reasoning or application to solve the problem Does not |
| Apply <br> concepts of continuity (including the intermediate value theorem) (LIM-2A, FUN1.A, LIM-2.B, LIM-2.C) <br> *Assessed in another unit | - Analyzing <br> - Creating <br> - Proving | Do all of the following: <br> - Apply continuity in terms of the three part definition <br> - Determine type of discontinuity <br> - Determine if IVT, EVT*, and MVT* are applicable <br> - Identify functions that are continuous in their domain <br> Follows math practices of algebraic computation, precision and reasoning* | Do three of the following: <br> - Apply continuity in terms of the three part definition <br> - Determine type of discontinuity <br> - Determine if IVT, EVT*, and MVF* are applicable <br> - Identify functions that are continuous in their domain | Do two of the following: <br> - Apply continuity in terms of the three part definition <br> - Determine type of discontinuity <br> - Determine if IVT, EVT*, and MVT* are applicable <br> - Identify functions that are continuous in their domain | criteria in a level 1 |
| Applying the definition of derivative (CHA-1.A, CHA-2.A, CHA2.B) |  | Apply the definition of derivative using correct notation to algebraically find the derivative of a function in general and at a point and interpret. <br> Follows math practices of algebraic computation, precision and reasoning* | Apply the definition of derivative using correct notation to algebraically find the derivative of a function in general or at a point. | Use substitution to set up the definition of derivative in general or at a point. |  |

## *Math Practices for AP Calculus include:

- Algebraic processes and computations completed logically and correctly
- Attend to precision graphically, numerically and analytically
- Clearly present reasoning and justification with accurate and precise language

